- **1.** 18.11 (Solution by David Maxwell)
- **2.** 18.17 (Solution by TJ Barry)
- 3. 18.21 (Solution by Slava Garayshin)
- 4. 18.26 (Solution by Will Mitchell)
- 5. 18.36 (Solution by Lyman Gilispie)
- 6. 18.39 (Solution by Slava Garayshin)
- 7. 18.40 (Solution by TJ Barry)
- **8.** (Solution by Will Mitchell) Suppose $f : [a, b] \rightarrow [-M, M]$. Show that *f* is measurable if and only if

$$\sup\left\{\int_{a}^{b}\phi:\phi \text{ is simple and }\phi\leq f\right\}=\inf\left\{\int_{a}^{b}\psi:\psi \text{ is simple and }\psi\geq f\right\}.$$

Conclude that every Riemann integrable function is Lebesgue integrable and that its Riemann and Lebesgue integrals agree.

- 9. 18.47 (Solution by Lyman Gilispie)
- 10. 18.55 (Solution by David Maxwell)
- 11. (Solution by David Maxwell) For $t \in \mathbb{R}$ and $f \in L_1$, let $f_t(x) = f(x - t)$. Show that $f_t \in L_1$ and that the map $t \mapsto f_t$ is continuous from \mathbb{R} to L_1 .