- 1. Let (a_n) be a bounded (not necessarily convergent) sequence. Prove that it has a subsequence converging to lim sup a_n and a subsequence converging to lim inf a_n .
- **2.** Abbott 2.6.1
- **3.** Abbott 2.6.4
- **4.** Abbott 2.6.5(b)
- 5. Abbott 2.7.2
- **6.** Abbott 2.7.4
- **7.** Abbott 2.7.5
- 8. Abbott 2.7.8
- 9. (Hand this one in to David.) Abbott 2.7.9